20. (a) Explain the form of Fuzzy Linear Programming.

Or

(b) Describe Fuzzy Ranking Methods.

SECTION C
$$-$$
 (3 × 10 = 30)

- 21. Let $F: x \to y$ be an arbitrary crisp function. Then show that for any $A \in f(x)$, fuzzyfied by the extension principle satisfies the equation $f(A) = \bigcup_{\alpha \in [0,1]} f(\alpha_+ A)$.
- 22. Describe the axions of fuzzy complements.
- 23. Describe fuzzy Arithmetic.
- 24. Define and Explain Fuzzy ordering relations.
- 25. Explain the details about Individual decision making.

(For candidates admitted from 2022-2023 onwards)

M.Sc. DEGREE EXAMINATION, NOVEMBER 2023.

Mathematics — Elective

FUZZY SET THEORY

Time: Three hours Maximum: 75 marks

SECTION A — (20 marks)

Answer ALL questions.

- I. (A) Choose the correct answer. $(5 \times 1 = 5)$
- 1. What is the fuzzy power set of [0,1].
 - (a) f([0,1])

(b) [0,1]

(c) [1,0]

- (d) [0,-1]
- 2. If a complement c has equilibrium e_c then
 - (a) $de_c' = e_c$

(b) $de_c = e_c$

(c) $de_c \neq de$

- (d) None of these
- 3. Define (A * B)Z by the terms?
 - (a) $\sup_{z=x^*y} \min[A(x), B(y)]$
 - (b) $\sup A(x)$
 - (c) $\sup_{z=xy} \max[A(x), B(y)]$
 - (d) $\sup_{x\neq y} A(x)$

4.	When a fuzzy relation is symmetric?
	(a) $R(x, y) = R(y, x)$ (b) $R(x, y) \neq R(y, x)$
	(c) $R(x, y) \ge 0$ (d) None of these
5.	Which of the following is formula for the domain of x ?
	(a) $\max_{y \in Y} R(x, y)$ (b) $\min_{y \in Y} R(x, y)$
• .	(c) $\max_{x \in X} R(x, y)$ (d) None of these
	(B) Fill in the blanks. $(5 \times 1 = 5)$
3.	The property $A \cap \overline{A} = \phi$ is called as
7.	Bellman is formulated by programming ———
3.	A standard fuzzy union is the only ————t-conorm.
) .	A binary relation $R(x,x)$ that is reflexive and symmetric is usually called ——
١٥.	The function p defined as ———
Ι.	Answer the following questions: $(5 \times 2 = 10)$
11.	Define crisp set.

If C has a continuous fuzzy complement, then C

Describe Arithmetic operation on intervals.

has a unique equilibrium.

Define Anti transitive.

13. 14.

SECTION B — $(5 \times 5 = 25)$

Answer ALL questions choosing either (a) or (b).

16. (a) Describe basic types of fuzzy sets.

Or

- (b) Show that a fuzzy set A on R is convex iff $A[\lambda x_1 + (1-\lambda)x_2] \ge \min[A(x_1), A(x_2)]$.
- 17. (a) Let a function $C:[0,1] \to [0,1]$ satisfy Axiom C_2 and C_4 . Then show that C also satisfies Axions C_1 and C_3 . Moreover C must be bijective function.

Or

- (b) Prove that the standard fuzzy intersection is only idempotent t-norm.
- 18. (a) Define fuzzy numbers.

Or

- (b) Describe Arithmetic operation on intervals.
- 19. (a) Define binary Relations on a single set.

Or

(b) Define fuzzy morphism.